JML Model Fields

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Outline

- JML
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- Translation to JavaDL
 - Axiomatic approach
 - Interpretation as model methods/queries
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JML ...

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- ...is a specification language tailored to Java.
- ... serves as an input language for KeY.
- ...can be used for specifying method contracts and loop invariants.
- ...allows declaring model methods and model fields.

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```
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//@ public model int a;
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The represents clause defines, how the value of a model field is related to the implementation.

```
/*@ public represents a \such_that 0<=a && a<size(); @*/
```

The represents clause

The represents clause defines a relation $R(x, \tilde{q})$ between a model field x and a vector \tilde{q} , consisting of fields and methods.

```
//0 model t x;
//0 represents x \such_that R(x,\tilde{q});
```

The axiomatic approach – a first attempt

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Solution:

The axiom we have to use is:

$$(\exists a: t (R(a, \tilde{q}))) \rightarrow R(x, \tilde{q})$$

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Then we get the formula:

$$\forall x': t (\{x:=x'\}(A(x) \to \phi(x)))$$

with

$$A(x) := (\exists a : t (R(a, \tilde{q}))) \rightarrow R(x, \tilde{q})$$

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$$\frac{\Gamma \vdash \phi(\mathsf{x}()), \exists \mathsf{x}' : t \ (R(\mathsf{x}', \tilde{q})), \Delta}{\Gamma \vdash \phi(\mathsf{x}()), \Delta}$$

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$$\frac{\Gamma \vdash \phi(x()), \exists x' : t \ (R(x', \tilde{q})), \Delta \quad \Gamma, \frac{R(x(), \tilde{q}) \vdash \phi(x()), \Delta}{\Gamma \vdash \phi(x()), \Delta}}{\Gamma \vdash \phi(x()), \Delta}$$

Representing model fields by model methods

Another approach:

Model fields are represented by model method that are free of side effects and have a "suitable" specification.

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Model fields are represented by model method that are free of side effects and have a "suitable" specification.

Let $\phi(x)$ and $R(x,\vec{q})$ be defined as on the previous slides. We get the formula:

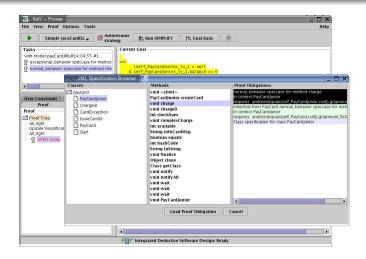
$$\phi(m())$$

where m() is the model method associated with $R(x, \vec{q})$.

Representing model fields by model methods

```
The specification of m():
   /*@ public normal_behavior
   @ requires (\exists t x; R(x,q));
   @ assignable \nothing;
   @ ensures R(\result, q);
   @*/
```

Demo



The interface LimitedIntContainer

```
public interface LimitedIntContainer{
    /*@
      @ public model int value;
      @ public model boolean regularState;
      0*/
    /*@ public normal_behavior
          ensures regularState ==> \result == value;
      0*/
    int /*@ pure @*/ available();
```

The class PayCard

```
public class PayCard implements LimitedIntContainer{
 /*@ public represents value <- balance;</pre>
   @ public represents regularState <-</pre>
                      (unsuccessfulOperations <= 3);</pre>
   0
   0*/
  public /*@pure@*/ int available() {
      if (unsuccessfulOperations<=3) return balance;
      return 0;
  }
```